[0056] Dynamics Of The Gyroscope

masses 16, 18, and 20 where each mass can be assum-[0057] The dynamics of the idealized model for the gyros understood in the noninertial coordinate frame associate previously stated, the system 10 is comprised of three ir a position vector attached to a rotating reference frame acceleration in the inertial frame A

$$\vec{a} = \vec{a} + \vec{n} \times \vec{n} + \vec{n} \times (\vec{n} \times \vec{n}) + 2\vec{n} \times \vec{n}$$

[0058]

where the subscript A denotes "relative to denotes "relative to rotating gyroscope frame B," where respectively, and where Ω is the angular velocity vector and acceleration vectors with respect to the designated [0029]

drive structures 28. The combination of the second and the third may 20 comprise the vibration absorber 36 (passive mass) of the oscillate mechanically amplifies the oscillations of mass 16. Approximating th 10 by a lumped mass-spring-damper model as shown in Fig. 5(a), th In the drive mode, the gyroscope 10 is simply a 2-DOF sinusoidal drive force is applied to the first mass 16 (active mass) by of motion in the drive direction can be expressed as [9600]

$$m_1 \dot{x}_1 + c_{1x} \dot{x}_1 + k_{1x} x_1 = k_{2x} (x_2 - x_1) + F_d$$

$$(m_2 + m_3) \dot{x}_2 + c_{2x} \dot{x}_2 + k_{2x} x_2 = k_{2x} x_1. \tag{2}$$

When a constant-amplitude sinusoidal force $F_c = F_0$ sir applied on the active mass 16 by the interdigitated comb-drives 28, t state response of the system 12 as illustrated by graph Fig. 6(a) will in the equation, [8600]

sense-mode oscillator become

$$m_2 \dot{y}_2 + c_{2y} \dot{y}_2 + k_{2y} y_2 = k_{3y} (y_3 - y_2) + 2 m_2 \Omega_2 \dot{x}_2$$

 $m_3 \dot{y}_3 + c_{3y} \dot{y}_3 + k_{3y} y_3 = k_{3y} y_2 + 2 m_3 \Omega_2 \dot{x}_2.$ (3)

[00107]

of the isolated passive mass-spring system 40, the passive mass ? spring systems of $\omega_{2y} = (k_{2y}/m_2)^{1/2}$ and $\omega_{3y} = (k_{3y}/m_3)^{1/2}$ respectively frequency of the sinusoidal Coriolis force is matched with the resor force is similar to that of the drive-mode oscillator as illustrated in t Fig. 6(b), with the resonant frequencies of the isolated active and μ The response of the system to a constant-amplitude maximum dynamic amplification. [00108]

element 20 is not generated by the sensing element 20. Instead, F generated by mass 20 is not required to be large, the sensing elen The most important advantage of decoupling the driv the oscillator dictates that the passive mass 20 has to be minimize $2m_2\Omega_z dx_2/dt$ generated by mass 18 excites the active mass 16. Th maximize its oscillation amplitude. Since the Coriolis Force $F_{c3} = 2$ and sense-mode oscillator 36 is that the Coriolis force that excites [00109]